## Possible Isomers for Coördination Compounds with Terdentate Ligands and Ligands of Higher Function

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In the consideration of any particular coördination compound, it is important to know what isomers are theoretically capable of existence. Main Smith ${ }^{1}$ has presented tables showing (for both uniand bidentate groups) the types, classes and isomeric forms theoretically expected for entities (compounds or ions) exhibiting coördination numbers four (square and tetrahedral) and six (octahedral). Marchi, Fernelius and McReynolds ${ }^{2}$ similarly have worked out the possible isomeric forms for several classes of various likely configurations for entities exhibiting coördination number eight with uni- and bidentate groups. Recently we have had occasion to work out by means of models the isomeric forms for six-coördinate entities with terdentate groups

## Table I

Isomeric Classes and Forms for the Octahedral Configuration Containing Terdentate Groups

| Class symbol | Optically active <br> cis <br> trans | Number of isomeric forms <br> Optically <br> cinactive <br> trans | Total |  |  |
| :---: | :---: | :---: | :---: | :---: | ---: |
| Type 5 |  |  |  |  |  |
| A $_{8} 3 \mathrm{~b}$ | $\ldots$ | $\ldots$ | 1 | 1 | 2 |
| A $_{3}$ 2b c | $\ldots$ | $\ldots$ | 1 | 2 | 3 |
| A $_{8}$ b c d | 2 | $\ldots$ | $\ldots$ | 3 | 5 |
| A $_{2}$ B 3c | $\ldots$ | $\ldots$ | 1 | 1 | 2 |
| A $_{2}$ B 2c d | 2 | $\ldots$ | 1 | 2 | 5 |
| A $_{2}$ B c d e | 6 | 6 | $\ldots$ | 3 | 15 |
| ABC 3d | 2 | $\ldots$ | $\cdots$ | 1 | 3 |
| ABC 2d e | 6 | 2 | $\ldots$ | 1 | 9 |
| ABC d e f | 12 | 6 | $\cdots$ | $\ldots$ | 18 |
| Total | 30 | 14 | 4 | 14 | 62 |

Type 6

| $\mathrm{A}_{3} \mathrm{~B}_{2} \mathrm{C}$ | - |  | 1 | 1 | 2 |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathrm{A}_{3} \mathrm{BC} \mathrm{d}$ | 2 | $\cdots$ | . | 2 | 4 |
| $\mathrm{A}_{2} \mathrm{BC}_{2} \mathrm{~d}$ | 2 |  | 1 | 1 | 4 |
| $\mathrm{A}_{2} \mathrm{BCDe}$ | 6 | $\cdots$ | . . | 2 | 8 |
| $A B C D_{2} \mathrm{e}$ | 6 | 2 | . | . | 8 |
| ABC DEf | 12 | 4 | . | . | 16 |
| Total | 28 | 6 | 2 | 6 | 42 |

Type 7

| $2 \mathrm{~A}_{3}$ | $\cdots$ | . | 1 | 1 | 2 |
| :--- | ---: | ---: | ---: | ---: | ---: |
| $2 \mathrm{~A}_{2} \mathrm{~B}$ | 2 | $\because$ | 1 | 1 | 4 |
| $2 \mathrm{ABC}^{a}$ | 10 | 2 | $\cdots$ | $\cdots$ | 12 |
| $\mathrm{~A}_{3} \mathrm{~B}_{3}$ | $\cdots$ | $\cdots$ | 1 | 1 | 2 |
| $\mathrm{~A}_{3} \mathrm{~B}_{2} \mathrm{C}$ | $\cdots$ | $\cdots$ | 1 | 1 | 2 |
| $\mathrm{~A}_{3} \mathrm{BCD}$ | 2 | $\cdots$ | $\cdots$ | 1 | 3 |
| $\mathrm{~A}_{2} \mathrm{BC} \mathrm{C}_{2} \mathrm{D}$ | 4 | $\cdots$ | $\cdots$ | 1 | 5 |
| $\mathrm{~A}_{2} \mathrm{BCDE}$ | 6 | $\because$ | $\cdots$ | 1 | 7 |
| ABC DEF | 12 | 2 | $\cdots$ | $\cdots$ | 14 |
| Total | 36 | 4 | 4 | 7 | 51 |

${ }^{a}$ P. Pfeiffer and S. Saure [Ber., 74B, 935 (1941)] have studied this class to some extent.

[^0]and groups of higher function. These are given in Tables I-IV. Optical activity originating within the coördinating groups has been disregarded. Also the customary assumption has been made that adjoining points of attachment on the coördinating groups will always be in the closest adjacent positions ( $c i s$ ) in the coördination sphere of the metal.

Symbolism.-It is customary to use lower case letters to represent unidentate groups and pairs of capital letters, bidentate groups: i.e., $\mathrm{AA}=\mathrm{a}$ symmetrical group like ethylenediamine, the acetylacetonate ion, or $\mathrm{C}_{2} \mathrm{O}_{4}{ }^{-}$and $\mathrm{AB}=$ an unsymmetrical group like propylenediamine or glycine. In this paper the symbolism $\mathrm{A}_{2}$ will be used instead of AA. For terdentate groups, $A_{3}=$ three equivalent points of attachment such as $\mathrm{HC}\left(\mathrm{CH}_{2} \mathrm{NH}_{2}\right)_{3}, \mathrm{~A}_{2} \mathrm{~B}=$ two equivalent positions and one different such as $\mathrm{HN}\left(\mathrm{CH}_{2} \mathrm{CH}_{2} \mathrm{NH}_{2}\right)_{2}$, and $\mathrm{ABC}=$ three non-equivalent positions (possible example is $\mathrm{HSCH}_{2} \mathrm{CH}$ $\left.\left(\mathrm{NH}_{2}\right) \mathrm{COOH}\right)$. For quadridentate groups $\mathrm{A}_{2} \mathrm{~B}_{2}$ would represent such groups as $\left(\mathrm{H}_{2} \mathrm{NCH}_{2}\right)_{2} \mathrm{CHCH}-$ $\left(\mathrm{CH}_{2} \mathrm{SH}\right)_{2} ; \quad \mathrm{ABBA}, \quad \mathrm{H}_{2} \mathrm{NCH}_{2} \mathrm{CH}_{2} \mathrm{NHCH}_{2} \mathrm{CH}_{2}-$ $\mathrm{NHCH}_{2} \mathrm{CH}_{2} \mathrm{NH}_{2}$; and $\mathrm{A}(\mathrm{B}) \mathrm{CD}, \mathrm{H}_{2} \mathrm{NCH}_{2}(\mathrm{HSCH})_{2}-$

Table II
Isomeric Classes and Forms for an Octahedral Configuration Containing Quadridentate Groups

| Class symbol | Number of isomeric forms Optically Optically active inactive |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  | cis | trans | cis | trans | Tota |
| Type 8 |  |  |  |  |  |
| $\mathrm{A}_{2} \mathrm{~B}_{2} 2 \mathrm{c}$ | 2 | . | . | . | 2 |
| $\mathrm{A}_{2} \mathrm{~B}_{2} \mathrm{c} d$ | 4 | . | . | . | 4 |
| ABBA $2 \mathrm{c}^{\text {a }}$ | 4 | . | . . | 1 | 5 |
| ABBA c d | 6 | . | . | 1 | 7 |
| $\mathrm{A}_{2} \mathrm{~B}$ (C) 2 d | 4 | $\ldots$ | . | . | 4 |
| $\mathrm{A}_{2} \mathrm{~B}$ (C) de | 8 | . | . | . | 8 |
| $\mathrm{A}_{2} \mathrm{BC} 2 \mathrm{~d}$ | 2 | . | 1 | . | 3 |
| $\mathrm{A}_{2} \mathrm{BCD} \mathrm{d}$ | 8 | . | . |  | 8 |
| $A(B) C(D) 2 e$ | 8 | . | . | . | 8 |
| $A(B) C(D)$ ef | 16 | . | . | . | 16 |
| $A(B) C D 2 e$ | 6 | . . | . | . | 6 |
| A (B) CD ef | 12 | . | . |  | 12 |
| ABCD 2e | 6 | . | . | 1 | 7 |
| ABCDef | 12 | 2 | . | . | 14 |
| Total | 98 | 2 | 1 | 3 | 104 |
| Type 9 |  |  |  |  |  |
| $\mathrm{A}_{2} \mathrm{~B}_{2} \mathrm{C}_{2}$ | 2 | . | . | . | 2 |
| $\mathrm{A}_{2} \mathrm{~B}_{2} \mathrm{CD}$ | 4 | . | . | . | 4 |
| ABBA $\mathrm{C}_{2}$ | 4 | . | . | . | 4 |
| ABBA CD | 6 | . | $\cdots$ | . | 6 |
| $\mathrm{A}_{2} \mathrm{~B}(\mathrm{C}) \mathrm{D}_{2}$ | 4 | . | $\cdots$ | . | 4 |
| $\mathrm{A}_{2} \mathrm{~B}(\mathrm{C}) \mathrm{DE}$ | 8 | $\ldots$ | . | . | 8 |
| $\mathrm{A}_{2} \mathrm{BC} \mathrm{D}_{2}$ | 2 |  | 1 |  | 3 |
| $\mathrm{A}_{2} \mathrm{BC}$ DE | 4 |  | 2 | . | 6 |
| $A(B) C(D) E_{2}$ | 8 | $\ldots$ | . . |  | 8 |
| A(B)C(D) EF | 16 | . | . |  | 16 |
| $\mathrm{A}(\mathrm{B}) \mathrm{CD} \mathrm{E}_{2}$ | 6 |  |  |  | 6 |
| A(B)CD EF | 12 |  | . |  | 12 |
| $\mathrm{ABCD} \mathrm{E}_{2}$ | 6 |  | . |  | 6 |
| ABCD EF | 12 | . | . |  | 12 |
| Total | 94 |  | 3 |  | 97 |

${ }^{a}$ The five isomers of this class have been isolated for diammine $\left\{\alpha, \alpha^{\prime}-(o\right.$-phenylenediimino $)$-di- $o$-cresolato $\}$ cobalt(III) ion by G. T. Morgan and J. D. Main Smith [J. Chem. Soc., 127, 913,2030 (1925)].
$\mathrm{CHNHCH} \mathrm{CH}_{2} \mathrm{NH}_{2}$. The meaning of the other symbols follows from these examples.

Use of Terms cis and trans.-For terdentate groups the words cis and trans are used in the same manner as they are used to designate the isomers of M 3a 3b; cis indicates that the three points of attachment of the polyfunctional ligand are on the same face of the octahedron; trans, that they are along a plane which passes through the coördination center. For entities with quadridentate groups, cis and trans refer to the position of the remaining monodentate ligands.

Probability of Realizing Theoretical Possibilities. -Some quadri-, quinque- and sexadentate groups can be postulated (and even prepared) which are not at all likely to coördinate to a common center. Certainly for $\mathrm{C}\left(\mathrm{CH}_{2} \mathrm{NH}_{2}\right)_{4}$, only three of the nitrogens can coördinate to a common center; ( $\mathrm{H}_{2}-$ $\left.\mathrm{NCH}_{2}\right)_{2} \mathrm{CHCH}\left(\mathrm{CH}_{2} \mathrm{NH}_{2}\right)$ probably will coördinate completely; while cis-1,2,3,4-cyclobutanetetramine awaits study to determine whether or not it will coördinate completely. Because of such complications, the classes containing the groups $A_{4}$ and $A_{3} B$ are not considered here. If $\mathrm{A}_{4}$ were of the type of phthalocyanine, no isomerism is possible for either $\mathrm{M}_{4} 2 b$ or $\mathrm{M}_{4} \mathrm{bc}$. Other groups which are difficult of realization or whose coordination to a common center may not be possible are $A_{5}, A_{4} B$, $\mathrm{A}_{3} \mathrm{~B}_{2}, \mathrm{~A}_{3} \mathrm{BC}, \mathrm{A}_{2} \mathrm{~B}_{2} \mathrm{C}, \mathrm{A}_{6}, \mathrm{~A}_{5} \mathrm{~B}, \mathrm{~A}_{4} \mathrm{~B}_{2}, \mathrm{~A}_{4} \mathrm{BC}, \mathrm{A}_{3} \mathrm{~B}_{3}$, $\mathrm{A}_{3} \mathrm{~B}_{2} \mathrm{C}, \mathrm{A}_{2} \mathrm{~B}_{2} \mathrm{C}_{2}$ and $\mathrm{A}_{2} \mathrm{~B}_{2} C D$. These have also been omitted.

Table III
Isomeric Classes and Forms for an Octahedral Configuration Containing Quinquedentate Groups

| Type | Class <br> symbol | Optically <br> active | Optically <br> inactive | Total |
| :---: | :---: | :---: | :---: | :---: |
| 10 | $\mathrm{~A}_{2} \mathrm{BC}_{2} \mathrm{~d}$ | $\ldots$ | 1 | 1 |
|  | $\mathrm{ABCBA}^{\mathrm{B}} \mathrm{d}$ | 8 | $\ldots$ | 8 |
|  | $\mathrm{~A}_{2} \mathrm{BC}(\mathrm{D}) \mathrm{e}$ | 2 | $\ldots$ | 2 |
|  | $\mathrm{~A}_{2} \mathrm{BCD} \mathrm{e}$ | 4 | $\cdots$ | 4 |
|  | $\mathrm{~A}(\mathrm{~B}) \mathrm{CD}(\mathrm{E}) \mathrm{f}$ | 4 | $\cdots$ | 4 |
|  | $\mathrm{~A}(\mathrm{~B}) \mathrm{CDE} \mathrm{f}$ | 8 | $\cdots$ | 8 |
|  | ABCDE | 12 | $\cdots$ | 12 |
|  | Total | 38 | 1 | 39 |

Table IV
Isomeric Classes and Forms for an Octahedral Configuration Containing Sexadentate Groups

| Type | Class <br> symbol | Optically <br> active | Optically <br> inactive | Total |
| :---: | :--- | :---: | :---: | :---: |
| 11 | $\mathrm{~A}_{2} \mathrm{BBA}_{2}$ | 2 | $\cdots$ | 2 |
|  | $\mathrm{ABCCBA}^{a}$ | 8 | $\cdots$ | 8 |
|  | $\mathrm{~A}(\mathrm{~B}) \mathrm{CC}(\mathrm{B}) \mathrm{A}$ | 6 | $\cdots$ | 6 |
|  | $\mathrm{~A}_{2} \mathrm{BCD}$ | 2 | 2 | $\cdots$ |
|  | $\mathrm{~A}_{2} \mathrm{BCD}(\mathrm{E})$ | 4 | $\cdots$ | 4 |
|  | $\mathrm{~A}_{2} \mathrm{BCDE}$ | 4 | 1 | 5 |
|  | $\mathrm{~A}(\mathrm{~B}) \mathrm{CDE}(\mathrm{F})$ | 8 | $\cdots$ | 8 |
|  | ABCDEF | 10 | $\cdots$ | 10 |
|  | Total | 44 | 1 | 45 |

${ }^{a}$ An example of this class is being studied by F. P. Dwyer and co-workers, This Journal, 69, 2917 (1947); 72, 1545 (1950); 74, 4188 (1952).

It seems likely that all groups will not show all the potentialities anticipated for the class to which they belong. Groups may show a preference for certain arrangements because of considerations of steric situations (size, arrangement of atoms, rigid-
idty, etc.). Thus, $\mathrm{H}_{2} \mathrm{NCH}_{2} \mathrm{CH}\left(\mathrm{NH}_{2}\right) \mathrm{CH}_{2} \mathrm{NH}_{2}$ in contrast to $\left(\mathrm{H}_{2} \mathrm{NCH}_{2} \mathrm{CH}_{2}\right)_{2} \mathrm{NH}$ may never be able to coördinate trans and

may be sufficiently rigid that it will never coördinate cis. The experimental realization of some of the potentialities presented in the tables should not prove too difficult and would contribute greatly to our knowledge of coördination compounds.

Acknowledgment.-This work was supported by the United States Atomic Energy Commission through Contract AT(30-1)-907.
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## A Polarographic Study of the Zinc Thiocyanate Complexes ${ }^{1}$

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Received October 21, 1952
Although the thiocyanate complexes of cadmium and mercury are well known and have been extensively studied, very little attention has been paid to complex formation between zinc and thiocyanate ions. The existence of such complex ions is suggested by the fact that solids such as $\mathrm{K}_{2} \mathrm{Zn}(\mathrm{SCN})_{4}$. $2 \mathrm{H}_{2} \mathrm{O}$ have been isolated by Walden. ${ }^{3}$ The only published account of an investigation of the ions in solution is the paper by Ferrell, Ridgion and Riley, ${ }^{4}$ who obtained potentiometric data which suggested the existence of a $\mathrm{ZnSCN}{ }^{+}$ion with a formation constant of the order of 50 . Some unpublished polarographic measurements by DeFord ${ }^{5}$ pointed to the existence of several complexes in solutions between 0.1 and $2.0 M$ thiocyanate ion, but the measurements were, unfortunately, not made at constant ionic strength, and since the shifts in half-wave potential observed were of the same order of magnitude as those sometimes observed due to ionic strength effects alone, no quantitative conclusions could be drawn from them. We have, therefore, measured the half-wave potential of zinc ion in potassium nitrate-potassium thiocyanate mixtures with thiocyanate concentrations ranging from 0.2 to $2.0 M$ at a constant ionic strength of 2.0 M .

## Experimental

All measurements were made on a Sargent model XXI recording polarograph at a temperature of $30.0 \pm 0.1^{\circ}$. The dropping electrode was made of marine barometer tubing and had a value of $m^{2 / 3 t^{1 / 6}}$ of 1.355 at zero applied volts vs. the S.C.E. The working anode and reference potential was a saturated calomel electrode which was connected to the polarograph through a large diameter $2 M$ potassium nitrate agar bridge. All polarograms were started at -0.8 v . and run with a span voltage of 0.4 v . in order to spread out the wave for maximum accuracy of measurement. The initial

[^1]
[^0]:    (1) J. D. Main Smith, "Chemistry and Atomic Structure," Ernest Benn, Ltd., London, 1924, p. 97.
    (2) L. E. Marchi, W. C. Fernelius and J. P. McReynolds, This Journal, 65, 329 (1943); L. E. Marchi, ibid., 65, 2257 (1943); 66, 1084 (1944).

[^1]:    (1) This work was supported in part by the Atomic Energy Commission.
    (2) On leave from the University of North Dakota, Grand Forks, North Dakota.
    (3) P. Walden, Z. anorg. Chem., 23, 374 (1900).
    (4) E. Ferrell, J. M. Ridgion and H. L. Riley. J. Chem. Soc., 1121 (1936).
    (ă) D. D. DeFord, M.S. Thesis, University of Kansas, 1947.

